## Biology-inspired algorithms

What looks complicated in biology can often be explained by simple rules

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What looks complicated in biology can often be explained by simple rules

Biology creates self-similar forms
Fractals

## Biology Rules...

## What looks complicated in biology can often be explained by simple rules



## Tree Rules

height $=4 \mathrm{~cm}$
(1) At each new dot:
(2) Draw a $\mathbf{T}$ with dots on its ends (3) Divide height by 2

Go back to step (1) and continue


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height $=\underline{4 \mathrm{~cm}}$
(1) At each new dot:
(2) Draw a $\underline{I}$ with dots on its ends
(3) Divide height by 2

Go back to step (1) and continue

Change the underlined parts...

...to create this "tree"

## Are these rules for real? Yes... and no.



The rules can create many different fractal forms

## Are these rules for real? Yes... and no.



An elegant recursive drawing site...

## Are these rules for real? Yes... and no.


biology does create many different fractal forms


Are these rules for real? Yes... and no.

self-similarity?

## Are these rules for real?



## Yes... and no.



What if our hand were more like the Dragon's-blood tree?

All this self-similarity must stop somewhere...

## Are these rules for real? Yes... and no.



All this self-similarity must stop somewhere...

... or who knows what could happen!?

Are these rules for real? Yes... and no.

## Where does fractal growth happen in animals?

## Are these rules for real? Yes... and no.



What are these?

Are these rules for real? Yes... and no.

green: cell's skeleton (microtubules) blue?
Comparing skeletons

## Cells: they live their own lives!



## But what controls each cell?



## What controls each cell?


each cell has its own program (life)!


## Simple cell rules



$$
\begin{aligned}
& \square=\text { Living cell } \\
& \square=\text { Empty space }
\end{aligned}
$$

A grid of cells depending on
(1) their rules (DNA)
(2) environment (neighbors)

How many live cells are in this grid?

## Simple cells



## Neighbor cells



## Neighbor cells



$$
\begin{aligned}
& \square=\text { Living cell } \\
& \square=\text { Empty space }
\end{aligned}
$$

\# of Living neighbors

Each cell's future depends on its living neighbors

## The rules...

all depend on how many living
neighbors each cell has

|  | 1 | 2 | 3 | 4 | 5 | 6 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| A | 0 | 1 | 1 | 1 | 0 | 0 |
| B |  |  |  |  |  |  |
| C | 2 | 4 | 4 | 3 | 0 | 0 |
| D | 2 | 3 | 4 | 4 | 2 | 1 |
|  | 1 | 2 | 3 | 2 | 1 | 1 |
|  | F | 0 | 0 | 1 | 2 | 2 |

## The rules...

A living cell with 2 or 3 living neighbors survives. Others die.

|  | 1 | 2 | 3 | 4 | 5 | 6 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| A | 0 | 1 | 1 | 1 | 0 | 0 |
| B | 1 | 3 | 2 | 2 | 1 | 1 |
| C | 2 | 14 | 4 | 3 | 0 | 0 |
| D | 2 | 3 | k | 4 | 2 | 1 |
| E | 1 | 2 | 3 | 2 | $1$ | 1 |
| F | 0 | 0 | 1 | 2 | 2 | 1 |

BEFORE

An empty cell with exactly 3 living neighbors comes to life.


Which ones will be living AFTER these rules run?

## Rules of Life

A living cell with 2 or 3 living neighbors survives. Others die.

An empty cell with exactly 3 living neighbors comes to life.

|  | 1 | 2 | 3 | 4 | 5 | 6 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| A | 0 | 1 | 1 | 1 | 0 | 0 |
| B | 1 | 3 | 2 | 2 | 1 | 1 |
| C | 2 | 4 | 4 | 3 | 0 | 0 |
| D | 2 | 3 | 4 | 4 | 2 | 1 |
|  | 1 | 2 | 3 | 2 | 1 | 1 |
|  | F | 0 | 0 | 1 | 2 | 2 |



## Rules of Life

A living cell with 2 or 3 living neighbors survives. Others die.

An empty cell with exactly 3 living neighbors comes to life.


Fill in the number of living neighbors on top of this grid.

then, fill in the next generation here.

## Rules of Life

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Fill in the next generation here.

## Rules of Life

A living cell with 2 or 3 living neighbors survives. Others die.

An empty cell with exactly 3
living neighbors comes to life.


empty space

## Simple cells

## $+$

## Simple rules

A living cell with 2 or 3 living neighbors survives. Others die.

An empty cell with exactly 3 living neighbors comes to life.

## Complex behavior

## Let's see it in action...



Lives of a cell, Harvard University

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Go back to step (1) and continue

height $=\underline{4 \mathrm{~cm}}$
(1) At each new dot:
(2) Draw a $I$ with dots on its ends
(3) Divide height by $?$

Go back to step (1) and continue

...to create this "tree"

## Rules of Life

A living cell with 2 or 3 living neighbors survives. Others die.

An empty cell with exactly 3 living neighbors comes to life.


Fill in the next generation here.

