

Today: Object Oriented Programs (OOPs)



Oops?



CS 5 Green

Learning Goals

- Explain when classes are useful
- Implement classes
- Define key terms
 - constructor
 - self
 - attributes
 - methods

Surgeon General's Warning

This lecture contains some syntactic details. Don't memorize them!

Concentrate on the big ideas and refer to these slides later for syntax details.



Rocket Science!

The CS 5 Gold/Black “textbook” is now linked from the HW 10 entry on the course website. Read Chapter 6: “OOPs! Object-Oriented Programming”



```
>>> fuel_needed = 42/1000  
>>> tank1 = 36/1000  
>>> tank2 = 6/1000  
>>> tank1 + tank2 >= fuel_needed
```

True? False? Maybe?



What's the right *ants-er*?



Demo

Wishful Thinking...

```
>>> from Rational import *
>>> fuel_needed = Rational(42, 1000)
>>> tank1 = Rational(36, 1000)
>>> tank2 = Rational(6, 1000)
>>> tank1 + tank2 >= fuel_needed
True
```

We need an *ant-i-dote* for
this problem!



The Rational factory!



Thinking Rationally

In a file called Rational.py

```
class Rational:  
    def __init__(self, n, d):  
        self.numerator = n  
        self.denominator = d
```

Notice that nothing is **returned!**

The “constructor”

Why is this code
so **selfish**?



```
>>> from Rational import *  
>>> my_num1 = Rational(1, 3)  
>>> my_num2 = Rational(2, 6)  
>>> my_num1.numerator  
?  
>>> my_num1.denominator  
?  
>>> my_num2.numerator  
?
```

my_num1 →
 numerator = 1
 denominator = 3

my_num2 →
 numerator = 2
 denominator = 6



This “dot” notation is vaguely familiar!



Thinking Rationally

In a file called Rational.py

```
class Rational:  
    def __init__(self, n, d):  
        self.numerator = n  
        self.denominator = d
```

The “constructor”

Rational numbers go back
to the days of ant-iquity!



```
>>> from Rational import *  
>>> my_num1 = Rational(1, 3)  
>>> my_num2 = Rational(1, 3)  
>>> my_num1 == my_num2
```

my_num1 → numerator = 1
denominator = 3

my_num2 → numerator = 1
denominator = 3

Demo



Thinking Rationally

```
class Rational:  
    def __init__(self, n, d):  
        self.numerator = n  
        self.denominator = d  
  
    def is_zero(self):  
        return self.numerator == 0
```

This is so **class**-y!



```
>>> my_num1 = Rational(1, 3)  
>>> my_num2 = Rational(0, 6)  
>>> my_num1.is_zero()  
False  
>>> my_num2.is_zero()  
True
```

Hey, turtle, your bad puns
are ant-agonizing me!



my_num1 →
 numerator = 1
 denominator = 3

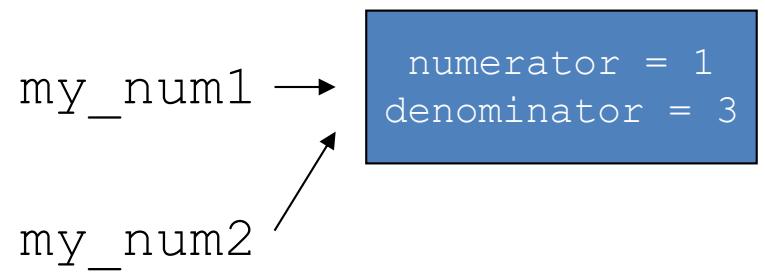
my_num2 →
 numerator = 0
 denominator = 6



Thinking Rationally

```
class Rational:  
    def __init__(self, n, d):  
        self.numerator = n  
        self.denominator = d  
  
    def is_zero(self):  
        return self.numerator == 0
```

```
>>> my_num1 = Rational(1, 3)  
>>> my_num2 = my_num1  
>>> my_num2.numerator = 0  
>>> my_num2.is_zero()  
True  
>>> my_num1.is_zero()  
???
```





Thinking Rationally

```
class Rational:  
    def __init__(self, n, d):  
        self.numerator = n  
        self.denominator = d  
  
    def is_zero(self):  
        return self.numerator == 0
```

`__init__` initially I thought
this was weird, but now I
like it!



```
>>> my_num = Rational(1, 3)  
>>> my_num  
<Rational instance at 0xdb3918>
```

my_num →

```
numerator = 1  
denominator = 3
```



Thinking Rationally

```
class Rational:  
    def __init__(self, n, d):  
        self.numerator = n  
        self.denominator = d  
  
    def is_zero(self):  
        return self.numerator == 0  
  
    def __repr__(self):  
        return str(self.numerator) + "/" + str(self.denominator)
```

```
>>> my_num = Rational(1, 3)  
>>> my_num.__repr__()  
'1/3'  
>>> my_num  
1/3
```

my_num →

```
numerator = 1  
denominator = 3
```



Thinking Rationally

```
class Rational:  
    def __init__(self, n, d):  
        self.numerator = n  
        self.denominator = d  
  
    def is_zero(self):  
        return self.numerator == 0  
  
    def __repr__(self):  
        return "Numerator" + str(self.numerator) + \  
               " and Denominator " + str(self.denominator)
```

```
>>> my_num = Rational(1, 3)  
>>> my_num  
Numerator 1 and Denominator 3
```

my_num →

```
numerator = 1  
denominator = 3
```



Thinking Rationally

```
class Rational:  
    def __init__(self, n, d):  
        self.numerator = n  
        self.denominator = d  
  
    def is_zero(self):  
        return self.numerator == 0  
  
    def __repr__(self):  
        return str(self.numerator) + "/" + str(self.denominator)
```

```
>>> my_num1 = Rational(1, 3)  
>>> my_num2 = Rational(2, 6)  
>>> my_num1 == my_num2  
False
```

my_num1 →

```
    numerator = 1  
    denominator = 3
```

my_num2 →

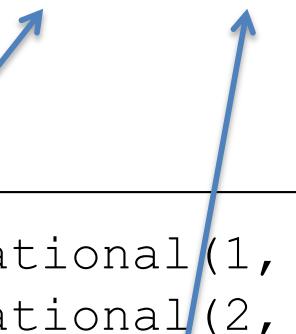
```
    numerator = 2  
    denominator = 6
```



Thinking Rationally



```
class Rational:  
    def __init__(self, n, d):  
        self.numerator = n  
        self.denominator = d  
  
    def is_zero(self):  
        return self.numerator == 0  
  
    def __repr__(self):  
        return str(self.numerator) + "/" + str(self.denominator)  
  
    def equals(self, other):
```



```
>>> my_num1 = Rational(1, 3)  
>>> my_num2 = Rational(2, 6)  
>>> my_num1.equals(my_num2)  
True  
>>> my_num2.equals(my_num1)  
True
```

Working at cross purposes?



$$\frac{1}{3} \neq \frac{2}{6}$$

my_num1 → numerator = 1
denominator = 3

my_num2 → numerator = 2
denominator = 6

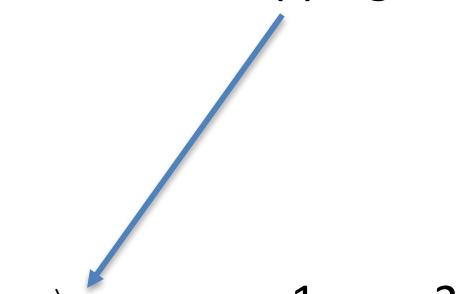


Thinking Rationally

S

```
class Rational:  
    def __init__(self, n, d):  
        self.numerator = n  
        self.denominator = d  
  
    def is_zero(self):  
        return self.numerator == 0  
  
    def __repr__(self):  
        return str(self.numerator) + "/" + str(self.denominator)  
  
    def equals(self, other):  
        return self.numerator * other.denominator == \  
               self.denominator * other.numerator
```

This just means the line is wrapping...



$$\frac{1}{3} \neq \frac{2}{6}$$

```
>>> my_num1 = Rational(1, 3)  
>>> my_num2 = Rational(2, 6)  
>>> my_num1.equals(my_num2)  
True  
>>> my_num2.equals(my_num1)  
True
```

my_num1 → numerator = 1
denominator = 3

my_num2 → numerator = 2
denominator = 6



Thinking Rationally

S

```
class Rational:  
    def __init__(self, n, d):  
        self.numerator = n  
        self.denominator = d  
  
    def is_zero(self):  
        return self.numerator == 0  
  
    def __repr__(self):  
        return str(self.numerator) + "/" + str(self.denominator)  
  
    def __eq__(self, other):  
        return self.numerator * other.denominator == \  
               self.denominator * other.numerator
```

$$\frac{1}{3} \neq \frac{2}{6}$$

```
>>> my_num1 = Rational(1, 3)  
>>> my_num2 = Rational(2, 6)  
>>> my_num1.__eq__(my_num2)  
True  
  
>>> my_num1 == my_num2  
True  
>>> my_num2 == my_num1  
True
```

my_num1 →
 numerator = 1
 denominator = 3

my_num2 →
 numerator = 2
 denominator = 6



Thinking Rationally

Worksheet

Q

```
class Rational:  
    def __init__(self, n, d):  
        self.numerator = n  
        self.denominator = d  
  
    def __add__(self, other):
```

Start by assuming that the denominators are the same,
but then try to do the case that they may be different!

What kind of thing
is add returning?



```
>>> my_num1 = Rational(36, 1000)  
>>> my_num2 = Rational(6, 1000)  
>>> my_num3 = my_num1.__add__(my_num2)  
>>> my_num3  
42/1000  
>>> my_num1 + my_num2
```

my_num1 →

```
numerator = 36  
denominator = 1000
```

my_num2 →

```
numerator = 6  
denominator = 1000
```



Thinking Rationally

Worksheet

S

```
class Rational:  
    def __init__(self, n, d):  
        self.numerator = n  
        self.denominator = d  
  
    def __add__(self, other):  
        num = self.numerator + other.numerator  
        den = self.denominator # assuming same denominators!  
        sum = Rational(num, den)  
        return sum
```

```
>>> my_num1 = Rational(36, 1000)  
>>> my_num2 = Rational(6, 1000)  
>>> my_num3 = my_num1.__add__(my_num2)  
>>> my_num3  
42/1000  
>>> my_num1 + my_num2
```

my_num1 →

```
    numerator = 36  
    denominator = 1000
```

my_num2 →

```
    numerator = 6  
    denominator = 1000
```

Overloaded Operator Naming

<code>+</code>	<code>__add__</code>	<code>+</code>	<code>__pos__</code>	<code>==</code>	<code>__eq__</code>
<code>-</code>	<code>__sub__</code>	<code>-</code>	<code>__neg__</code>	<code>!=</code>	<code>__ne__</code>
<code>*</code>	<code>__mul__</code>		<code>__abs__</code>	<code><=</code>	<code>__le__</code>
<code>/</code>	<code>__div__</code>		<code>__int__</code>	<code>>=</code>	<code>__ge__</code>
<code>//</code>	<code>__floordiv__</code>		<code>__float__</code>	<code><</code>	<code>__lt__</code>
<code>%</code>	<code>__mod__</code>		<code>__complex__</code>	<code>></code>	<code>__gt__</code>
<code>**</code>	<code>__pow__</code>				

That's the ant-ire list!



Putting It All Together

```
class Rational:  
    def __init__(self, n, d):  
        self.numerator = n  
        self.denominator = d  
  
    def __repr__(self):  
        return str(self.numerator) + "/" + str(self.denominator)  
  
    def __eq__(self, other):  
        return self.numerator*other.denominator == self.denominator*other.numerator  
  
    def __ge__(self, other):  
        return self.numerator*other.denominator >= self.denominator*other.numerator  
  
    def __add__(self, other):  
        num = self.numerator*other.denominator + self.denominator*other.numerator  
        den = self.denominator*other.denominator  
        return Rational(num, den)
```

```
>>> from Rational import * (necessary?)  
>>> fuel_needed = Rational(42, 1000)  
>>> tank1 = Rational(36, 1000)  
>>> tank2 = Rational(6, 1000)  
>>> tank1 + tank2 >= fuel_needed
```

True

Mission accomplished!



Rationals are now “first class” citizens

```
from Rational import *
def initely():
    r1 = Rational(1, 2)
    r2 = Rational(21, 42)
    r3 = Rational(1, 42)
    my_list = [r1, r2, r3]
    r4 = Rational(0, 1)
    for r in my_list:
        r4 = r4 + r
    return r
```

This is beyond awesome!



That's cooler than Ant-arctica!



Q

What's the Point?

```
class Point:  
    def __init__(self, x, y):  
        self.x = x  
        self.y = y  
  
    def __repr__(self):  
        return "(" + str(self.x) + ", " + str(self.y) + ")"  
  
    def __eq__(self, other):
```

```
>>> p1 = Point(1.0, 2.0)  
>>> p2 = Point(1.0, 2.0)  
>>> p1  
(1.0, 2.0)  
>>> p1 == p2  
True
```

Without this example, the lecture would be Point-less!



S

What's the Point?

```
class Point:  
    def __init__(self, x, y):  
        self.x = x  
        self.y = y  
  
    def __repr__(self):  
        return "(" + str(self.x) + ", " + str(self.y) + ")"  
  
    def __eq__(self, other):  
        return self.x == other.x and self.y == other.y
```

```
>>> p1 = Point(1.0, 2.0)  
>>> p2 = Point(1.0, 2.0)  
>>> p1  
(1.0, 2.0)  
>>> p1 == p2  
True
```

Without this example, the lecture would be Point-less!



Thinking Linearly

```
class Point:  
    def __init__(self, x, y):  
        self.x = x  
        self.y = y  
  
    def __repr__(self):  
        return "(" + str(self.x) + ", " + str(self.y) + ")"  
  
    def __eq__(self, other):  
        return self.x == other.x and self.y == other.y  
  
class Line:  
    def __init__(self, point1, point2):  
        self.slope = (point2.y - point1.y) / (point2.x - point1.x)  
        self.yint = point1.y - point1.x * self.slope  
  
    def __repr__(self):  
        # Your code here  
  
    def __eq__(self, other):  
        # Your code here
```

```
>>> p1 = Point(1.0, 2.0)  
>>> p2 = Point(2.0, 3.0)  
>>> l1 = Line(p1, p2)  
>>> l1  
y = 1.0 x + 1.0  
>>> p3 = Point(3.0, 4.0)  
>>> p4 = Point(42.0, 43.0)  
>>> l2 = Line(p3, p4)  
>>> l1 == l2  
True
```

Thinking Linearly

```
class Point:  
    def __init__(self, x, y):  
        self.x = x  
        self.y = y  
  
    def __repr__(self):  
        return "(" + str(self.x) + ", " + str(self.y)  
  
    def __eq__(self, other):  
        return self.x == other.x and self.y == other.y  
  
class Line:  
    def __init__(self, point1, point2):  
        self.slope = (point2.y - point1.y) / (point2.x - point1.x)  
        self.yint = point1.y - point1.x * self.slope  
  
    def __repr__(self):  
        return "y = " + str(self.slope) + " x + " + str(self.yint)  
  
    def __eq__(self, other):  
        return self.slope == other.slope and self.yint == other.yint
```

```
>>> p1 = Point(1.0, 2.0)  
>>> p2 = Point(2.0, 3.0)  
>>> l1 = Line(p1, p2)  
>>> l1  
y = 1.0 x + 1.0  
>>> p3 = Point(3.0, 4.0)  
>>> p4 = Point(42.0, 43.0)  
>>> l2 = Line(p3, p4)  
>>> l1 == l2  
True
```

Q

```
>>> from Geometry import *
>>> p1 = Point(0, 1)
>>> p2 = Point(1, 2)
>>> l1 = Line(p1, p2)
>>> p3 = Point(2, 0)
>>> p4 = Point(0, 2)
>>> l2 = Line(p3, p4)
>>> l1.parallel(l2)
False
>>> l1.intersection(l2)
(0.5, 1.5)
```

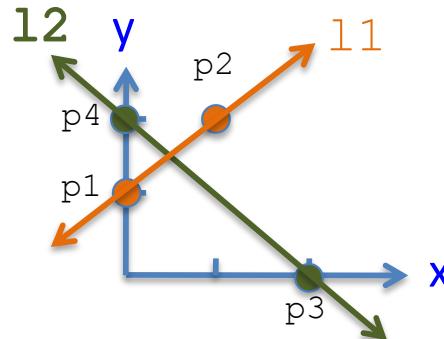
```
class Line:
    def __init__(self, point1, point2):
        self.slope = (point2.y - point1.y) / (point2.x - point1.x)
        self.yint = point1.y - point1.x * self.slope

    def __repr__(self):
        ...

    def __eq__(self, other):
        ...

    def parallel(self, other):
        ...

    def intersection(self, other):
        ...
```



```
class Point:
    def __init__(self, x, y):
        self.x = x
        self.y = y

    def __repr__(self):
        return "(" + str(self.x) + "," + str(self.y) + ")"

    def __eq__(self, other):
        return self.x == other.x and self.y == other.y
```

S

```
>>> from Geometry import *
>>> p1 = Point(0, 1)
>>> p2 = Point(1, 2)
>>> l1 = Line(p1, p2)
>>> p3 = Point(2, 0)
>>> p4 = Point(0, 2)
>>> l2 = Line(p3, p4)
>>> l1.parallel(l2)
False
>>> l1.intersection(l2)
(0.5, 1.5)
```

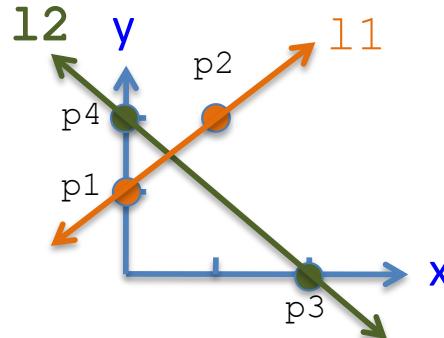
```
class Line:
    def __init__(self, point1, point2):
        self.slope = (point2.y - point1.y) / (point2.x - point1.x)
        self.yint = point1.y - point1.x * self.slope

    def __repr__(self):
        return "y = " + str(self.slope) + " x + " + str(self.yint)

    def __eq__(self, other):
        return self.slope == other.slope and self.yint == other.yint

    def parallel(self, other):
        return self.slope == other.slope

    def intersection(self, other):
        if self.parallel(other): return None
        else:
            x = (self.yint - other.yint) / (other.slope - self.slope)
            y = self.slope * x + self.yint
            return Point(x, y)
```



```
class Point:
    def __init__(self, x, y):
        self.x = x
        self.y = y

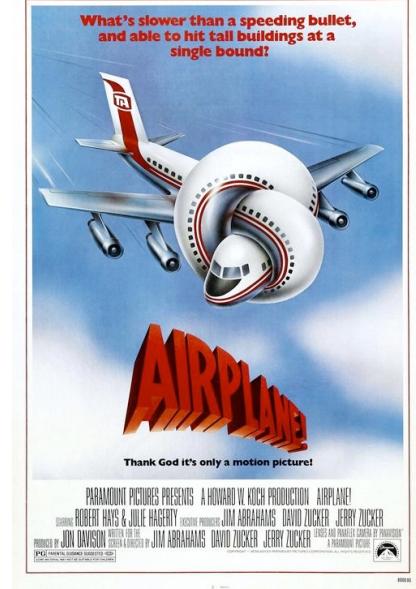
    def __repr__(self):
        return "(" + str(self.x) + ", " + str(self.y) + ")"

    def __eq__(self, other):
        return self.x == other.x and self.y == other.y
```

Vector, Victor!

In a file called Vector.py

```
class Vector:  
    def __init__(self, x, y):  
    def __repr__(self):  
    def __add__(self, other):  
    def __sub__(self, other):  
    def magnitude(self):  
    def normalize(self):
```



```
>>> victor = Vector(1, 1)      >>> A = victor + roger  
>>> victor                  >>> A  
(1, 1)                      (1, 3)  
>>> roger = Vector(0, 2)     >>> victor.magnitude()  
>>> roger                  1.4142135  
(0, 2)
```

An Ant Class

```
from Vector import *
class Ant:
    def __init__(self, pos):
        self.position = pos
    def moveTowards(self, other):
        pass
>>> abes_position = Vector(0, 0)
>>> abe = Ant(abes_position)
>>> bess = Ant(Vector(100, 0))
>>> abe.moveTowards(bess)
```

Hey, draw me a picture of Abe and Bess!



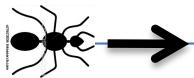
(100, 0)? That's practically in the Dutch Ant-illes!



I'm feeling strong ant-ipathy for ant puns!



bess

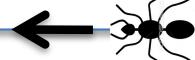


cziggy



abe

dizzy



```
abe = Ant(Vector(0, 0))  
bess = Ant(Vector(0, 100))  
cziggy = Ant(Vector(100, 100))  
dizzy = Ant(Vector(100, 0))
```

```
while True:
```

```
    abe.moveTowards(bess)  
    bess.moveTowards(cziggy)  
    cziggy.moveTowards(dizzy)  
    dizzy.moveTowards(abe)
```

Ugh! What if there were
1000 ants, or even some
variable n number of ants!



Remember this...

```
from Rational import *
def initely():
    r1 = Rational(1, 2)
    r2 = Rational(21, 42)
    r3 = Rational(1, 42)
    my_list = [r1, r2, r3]
    r4 = Rational(0, 1)
    for r in my_list:
        r4 = r4 + r
    return r
```

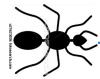
This is beyond awesome!



That's cooler than Ant-arctica!



bess



cziggy



abe



dizzy



```
abe = Ant(Vector(0, 0))
bess = Ant(Vector(0, 100))
cziggy = Ant(Vector(100, 100))
dizzy = Ant(Vector(100, 0))
ants = [abe, bess, cziggy, dizzy]
```

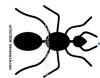
```
while True:
    for i in range(len(ants)):
```

We need just one more
line of code here!



Q

bess



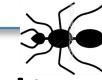
cziggy



abe



dizzy



S

Antirely awesome!



```
abe = Ant(Vector(0, 0))
bess = Ant(Vector(0, 100))
cziggy = Ant(Vector(100, 100))
dizzy = Ant(Vector(100, 0))
ants = [abe, bess, cziggy, dizzy]
```

```
while True:
    for i in range(len(ants)):
        ants[i].moveTowards(ants[(i+1) % len(ants)])
```

In Python, everything is a class!

```
>>> x = 5  
>>> y = 37  
>>> x + y  
42
```

```
>>> x = int("5")  
>>> y = int("37")  
>>> x.__add__(37)  
42  
>>> x + y  
42
```

```
class int:  
    def __init__(self, str):
```

In Python, everything is a class!

```
class list:  
    def __init__(self):  
    def append(self, item):  
    def __repr__(self):  
    def __getitem__(self, index):  
    def __setitem__(self, index, value):  
  
>>> x = []           >>> x = list()  
>>> x.append(42)     >>> x.append(42)  
>>> x               >>> x.__repr__()  
[42]                  [42]  
>>> x[0]             >>> x.__getitem__(0)  
42                   42  
>>> x[0] = 67         >>> x.__setitem__(0, 67)
```