

## cs155 - z sweedyk

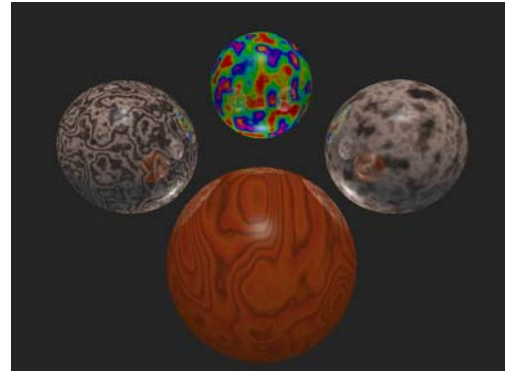
### ray tracing

## cheap tricks

- texture mapping
- bump mapping
- procedural texture mapping

## procedural texture mapping

- procedure returns a texture color for any point in 3d space (note this is not an image stack)
- sample to find texture for surface



adrian mettler, spring 2003

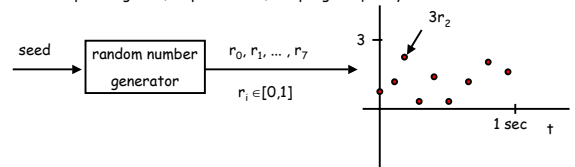
## procedural textures

- advantages
  - don't need to find a mapping from a (complex) 3d surface to a 2d texture image
  - concise representation of texture
- disadvantages
  - ad hoc techniques cannot duplicate photographs

## perlin noise - 1D example

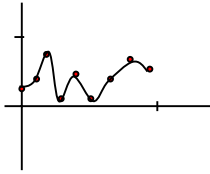
step 1: generate discrete noise function with specified length, amplitude, sampling frequency

example: length=8, amplitude = 3, sampling frequency is 7 Hz.



## perlin noise - 1D example

step 2: interpolate with smoothing

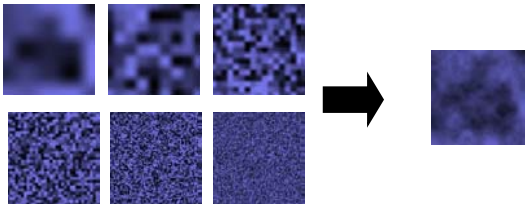


## perlin noise - 1D example

step 3: repeat with various amplitudes/frequencies

step 4: add together

## perlin noise - 2D example



for more info see Perlin Noise link on proj2 web site

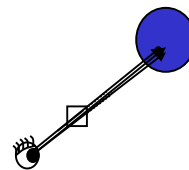
## cheap tricks

- texture mapping
- bump mapping
- procedural texture mapping
- jittering

## jittering: antialiasing technique

Run rt on Solaris for example

## jittering: anti-aliasing technique



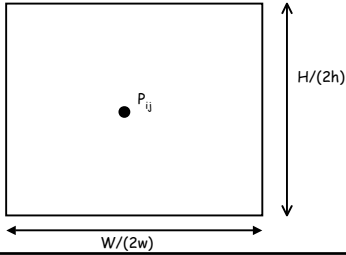
for pixel  $i,j$ :

- cast several random rays through pixel  $i,j$  region into scene
- for each:
  - find intersection point (if any) that is closest to eye
  - compute color at intersection
- compute average of all samples as color for pixel  $i,j$

## random ray

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shoot ray  $i, j$  through  $P_{ij} + (dx, dy)$  where  
 $dx$  is chosen uniformly at random over  $[-W/(2w), W/(2w)]$   
 $dy$  is chosen uniformly at random over  $[-H/(2h), H/(2h)]$



## cheap tricks

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- texture mapping
- bump mapping
- procedural texture mapping
- jittering
- soft shadows

## soft shadows

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run rt on solaris for examples

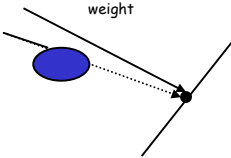
## soft shadows

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In reality, we don't have point lights (or point spot lights)!!



- cast several shadow rays at random points on "light"
- use #occlusions/#rays as shadow weight



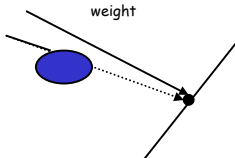
## soft shadows

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For directional lights



- cast several shadow rays perturbed by small vector in tangent plane
- use #occlusions/#rays as shadow weight



## ray tracing

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- simple ray casting
- recursive ray tracing
- modeling transforms
- cheap tricks
- **optimizations**

## ray tracing complexity

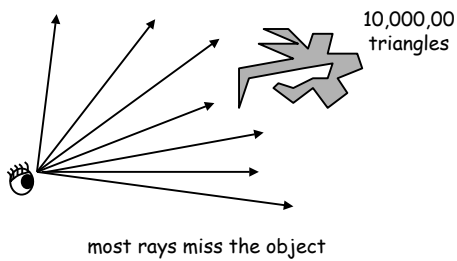
$O(\# \text{ of intersection tests})$   
 $= O(\# \text{ pixels} \times \# \text{ objects})$

Can we reduce the  
 number of intersection  
 tests?

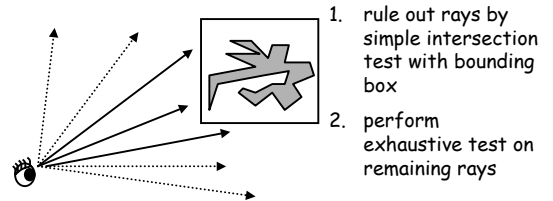
## optimization

- bounding boxes
- oct-trees
- BSP-trees

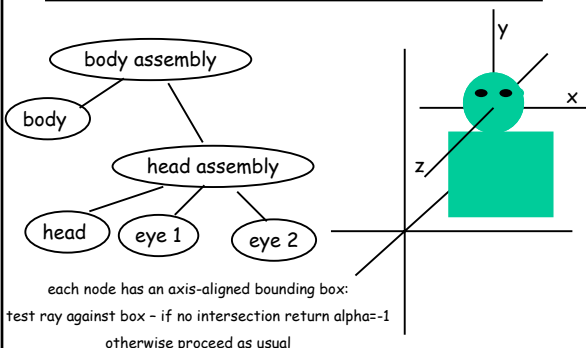
## bounding boxes: intuition



## bounding boxes



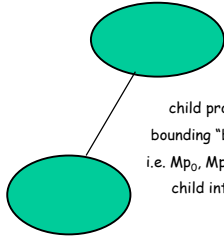
## scene graph



## constructing the bounding boxes

- Leaf of scene graph
  - Sphere: radius  $r$ , center  $c=(c_x, c_y, c_z)$   
 Corners of bounding box are \_\_\_\_\_
  - Triangle: vertices  $(x_0, y_0, z_0), (x_1, y_1, z_1), (x_2, y_2, z_2)$   
 Corners of bounding box are \_\_\_\_\_

## constructing bounding box

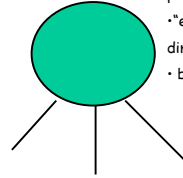


child provides parent the corners of its bounding "box" in parent's coordinate system  
i.e.  $Mp_0, Mp_1, \dots, Mp_7$ , where  $M$  transforms the child into its parent coordinate system

bounding box with corners

$P_0, P_1, \dots, P_7$

## constructing bounding box



parent computes

"extrema" of coordinates in each

dimension:  $x_{\min}, x_{\max}, y_{\min}, y_{\max}, z_{\min}, z_{\max}$

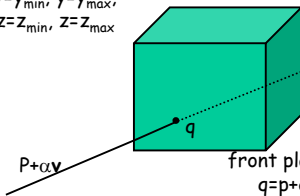
• bounding corners

$p = (x, y, z)$  where  $x \in \{x_{\min}, x_{\max}\}$ ,  
 $y \in \{y_{\min}, y_{\max}\}$ ,  $z \in \{z_{\min}, z_{\max}\}$

## bounding box intersection

$x = x_{\min}, x = x_{\max}$ ,  
 $y = y_{\min}, y = y_{\max}$ ,  
 $z = z_{\min}, z = z_{\max}$

1. find intersection of ray with each bounding plane of box



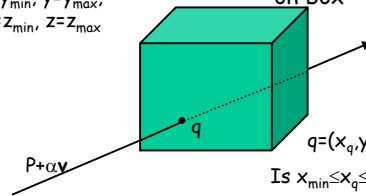
front plane intersection:  
 $q = p + \alpha v = (?, ?, z_{\max})$

$q = (p_x + \alpha v_x, p_y + \alpha v_y, p_z + \alpha v_z)$   
where  $\alpha = (z_{\max} - p_z) / v_z$

## bounding box intersection

$x = x_{\min}, x = x_{\max}$ ,  
 $y = y_{\min}, y = y_{\max}$ ,  
 $z = z_{\min}, z = z_{\max}$

2. determine if any intersection point is on box



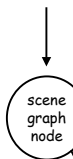
$q = (x_q, y_q, z_q)$

Is  $x_{\min} \leq x_q \leq x_{\max}$  and

$y_{\min} \leq y_q \leq y_{\max}$  and

$z_{\min} \leq z_q \leq z_{\max}$ ?

## bounding box intersection test



if ray intersects with node's bounding box  
check for intersection with local object and  
pass ray to children  
otherwise return no intersection

REMEMBER: bounding box encloses objects at node and all bounding boxes of children

## optimization

- bounding boxes
- oct-trees
- BSP-trees

We won't cover these now. Look on the web for details.